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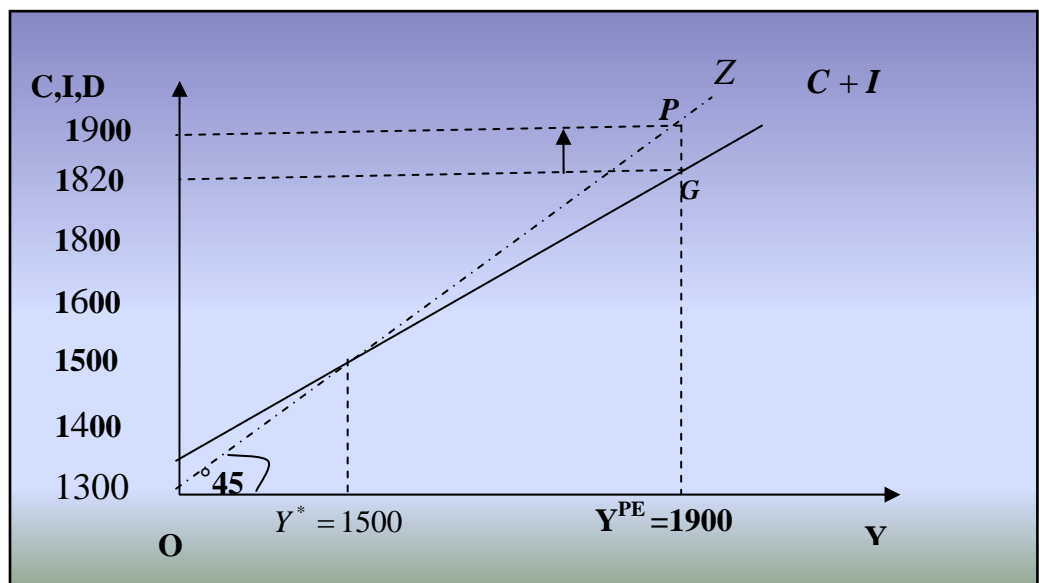
.()

.()



Y^{PE}

Y^E



$$C = 0.8Y + 100$$

$$Y^E = 1500$$

$$Y^{PE} = 1900$$

$$I_0 = 200$$

:

$$Y^{PE}$$

$$D^{PE} = C^{PE} + I$$

$$D^{PE} = C_0 + cY^{PE} + I_0$$

$$(D^{PE} = 0.8 \times 1900 + 100 + 200 = 1820) :$$

+80

$$(Y^{PE} = 1900)$$

GP

(DEFLATIONRY GAP)

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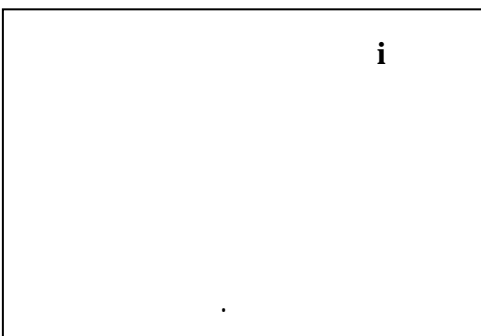
"

":

. PAUVRETE DANS L'ABONDANCE "

()

.(57)



Y_i

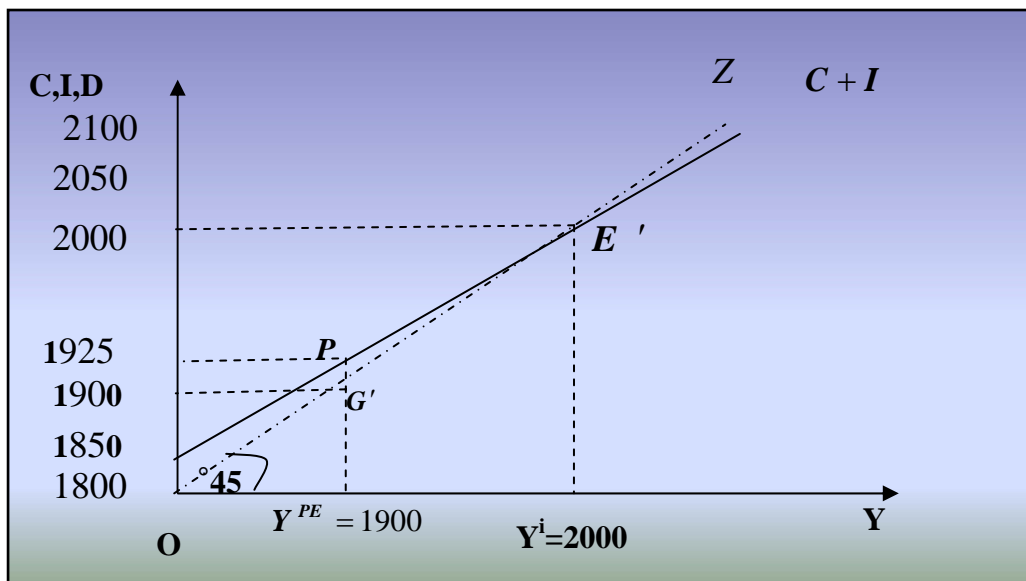
Y^{PE}

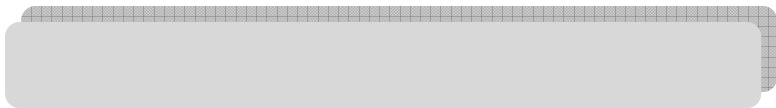
G'P

Comment payer la
(1940) guerre

()

PIB





(I₀)

C+I
C+I+G

:

(C)

G
(E')

$$\Delta G = +80$$

+80

$$\Delta Y = +400$$

+400

$$Y^{PE} = 1900$$



T

T_0

t

$$T = tY$$

Y_d

:

$$Y_d = Y - T$$

:

$$C = cY_d + C_0 = c(Y - T) + C_0$$

$$T = T_0 + tY :$$

:

$$C = cY_d + C_0 = c(Y - T) + C_0 = c(1 - t)Y - cT_0$$

:

$$Y = C_0 + c(1 - t)Y - cT_0 + I_0 + G_0$$

$$Y^E = \frac{C_0 - cT_0 + I_0 + G_0}{1 - c(1 - t)}$$

:

$$k_f = \frac{dY}{dI_0} = \frac{1}{1 - c(1 - t)} = \frac{dY}{dG}$$

:

$$0 < c < 1$$

$$k_f = \left| \frac{dY}{dT_0} \right| = \frac{c}{1-c(1-t)} < \frac{dY}{dG}$$

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(Haveelmo

:

$$dY = \frac{1}{1-c(1-t)} dG + \frac{-c}{1-c(1-t)} dT_0$$

$$dG = dT_0$$

$$\frac{dY}{dG} = \frac{1-c}{1-c(1-t)} > 0$$

$$I = S$$

$$I + G = S + T \quad ;$$

:

$$Y = C + I + G \dots \dots \dots (1)$$

$$Y = C + S + T \dots \dots \dots (2)$$

$$I + G = S + T$$

$$G - T = S - I \quad ;$$

:



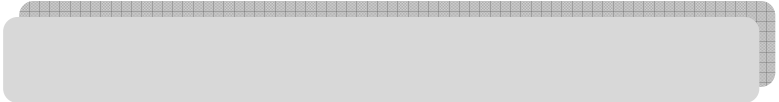
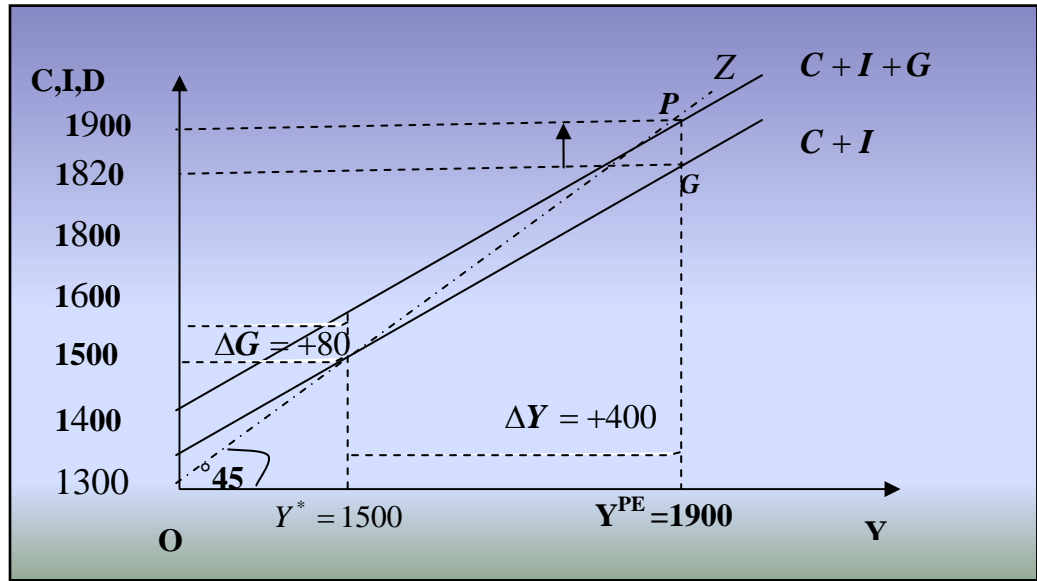
$$G - T = S - I$$

$$C = cY_d + C_0 = c(Y - T) + C_0$$

$$T_0$$

$$C = cY + C_0$$

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$$R = R_0 + rY$$

$$R = R_0$$

|r|

...

-r

+r

$$I = I_0$$

$$G = G_0$$

$$R = R_0 - rY$$

$$T = T_0 + tY$$

:

$$C = C_0 + cY_d$$

$$Y = C_0 + c(1-t-r)Y - cT_0 + cR_0 + I_0 + G_0$$

$$Y^E = \frac{C_0 - cT_0 + cR_0 + I_0 + G_0}{1 - c(1-t-r)}$$

